

Figure 9.1a shows a reservoir of balls that can store energy. With the tap shut, the balls cannot move and the ball reservoir is uncharged.

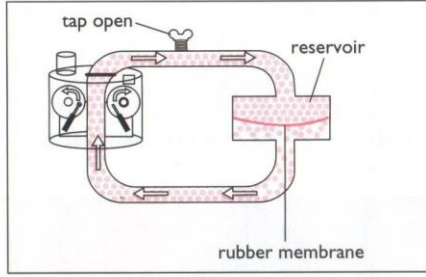


Figure 9.1b When the tap is open the engine pushes balls into the top half of the reservoir, the rubber membrane stretches, and this pushes balls out of the bottom half. The charged reservoir doesn't really store balls; it just has more balls in the top and fewer balls in the bottom.

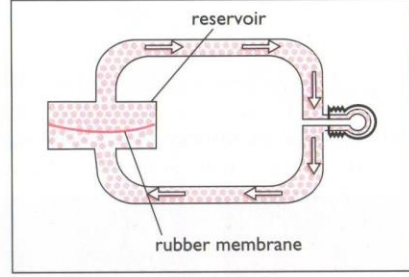


Figure 9.1c If you connect the charged reservoir to a load, the membrane will push balls from the top part of the reservoir to the bottom part, powering the load for a short time.

UNLIKE = ATTRACT

In circuits

series ---|---|---

parallel ---|---

$\frac{1}{C} = \frac{1}{C_1} + \frac{1}{C_2}$

$C = C_1 + C_2$

Energy Stored P328

Charged capacitor can do work out so is an energy store.

Work done = $V \Delta Q$

Total work done = Energy transferred = $\frac{1}{2} QV$

$E = \frac{1}{2} CV^2$

Remember UNITS

AC
Fullick
P342
P345

Charging

Discharging

Charge change opposite

Stored Charge (Coulombs)

$I = \frac{\Delta Q}{\Delta t}$

$Q = CV$

Two parallel plates

Permittivity

$C = \frac{\epsilon A}{d}$

Different Types - Dielectric

Electrolytic P326

Stronger

Fullick Chapter 4.3

If connected wrong way round ~~electro~~ dielectric will dissolve

Charging graphs: Q vs t , V vs t

Discharging graphs: Q vs t , V vs t

I vs t

$\frac{dQ}{dt} = -\frac{Q}{RC}$

Current direction diagram

AS

def $R = \frac{V}{I} \Rightarrow V = IR$

$g = \frac{\Delta I_d}{\Delta V_{gs}}$

$P = VI \Rightarrow P = V\left(\frac{V}{R}\right) \Rightarrow P = \frac{V^2}{R}$

Pot Divider $V_{out} = \frac{V_{in} R_2}{(R_1 + R_2)}$

def Energy $V = \frac{W}{Q}$
charge

Op Amp $V_{out} = A(V_1 - V_2)$
 $\hookrightarrow 10^6$

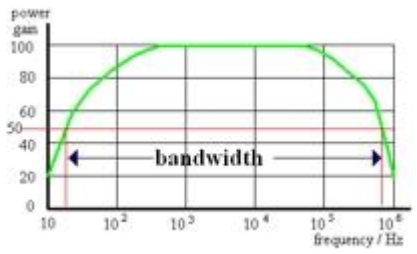
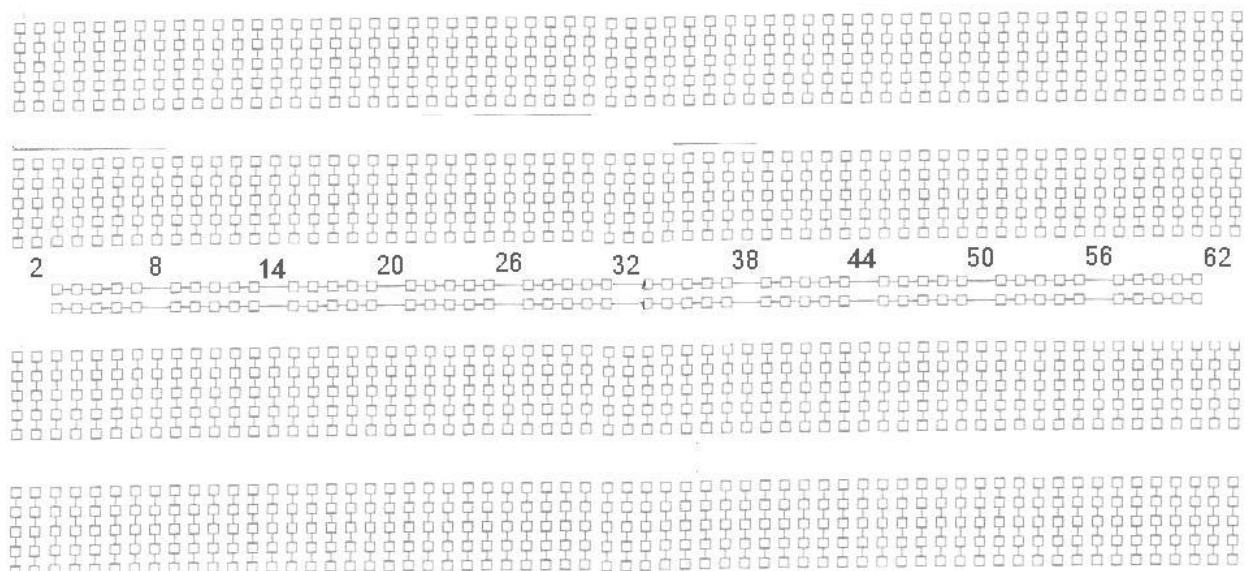
def $C = \frac{Q}{V} \Rightarrow Q = CV$

gain = $\frac{\text{output}}{\text{input}}$

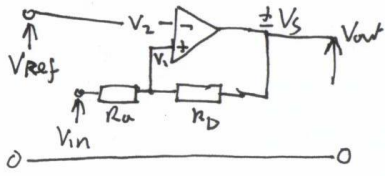
def $I = \frac{Q}{t} \Rightarrow Q = It$

SEE DATA SHEET

Dec	Bin	Hex
0	0000	0
1	0001	1
2	0010	2
3	0011	3
4	0100	4
5	0101	5
6	0110	6
7	0111	7
8	1000	8
9	1001	9
10	1010	A
11	1011	B
12	1100	C
13	1101	D
14	1110	E
15	1111	F



Non-Inverting Schmitt Trigger



op amp tries to make both inputs equal $\Rightarrow V_1 = V_2 = V_{ref}$

I Through R_b $I = \frac{(\pm V_s - V_{ref})}{R_b}$

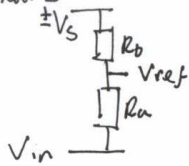
$V_{in} = V_{in}$ at switch voltage

Infinite input impedance

so $I_{R_b} = I_{R_a}$

V across $R_a \Rightarrow (V_{in} - V_{ref}) = \frac{(\pm V_s - V_{ref}) R_a}{R_b}$

Method 2



This is more complicated

$V_{in} = \frac{(\pm V_s - V_{ref}) R_a}{R_b} + V_{ref}$

$V_{in} = \frac{\pm V_s R_a}{R_b}$ $V_{ref} = 0$

$I = \frac{\pm V_s - V_{in}}{R_b + R_a} = \frac{V_{ref} - V_{in}}{R_a}$

Take $V_{ref} = 0$

$\frac{(R_b + R_a)(\pm V_s) - V_{in}(R_b + R_a)}{(R_b + R_a)} = -\frac{V_{in}(R_b + R_a)}{R_a}$

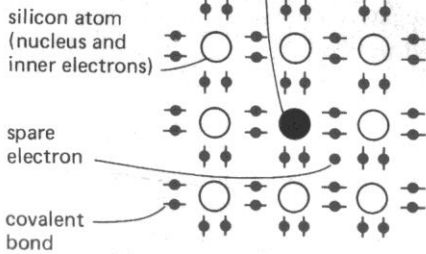
$\pm V_s = V_{in} \left(1 + \frac{R_b + R_a}{R_a} \right)$

$\pm V_s = V_{in} \left(1 - \frac{R_b}{R_a} + \frac{R_a}{R_a} \right) = V_{in} \left(1 - \frac{R_b}{R_a} \right)$

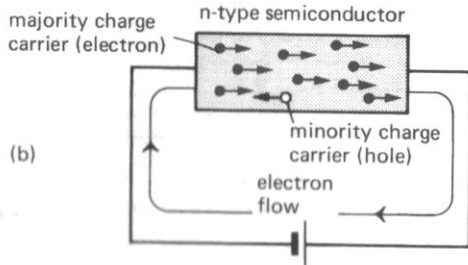
$\pm V_s = V_{in} \left(\frac{-R_b}{R_a} \right)$

$\Rightarrow V_{in} = \frac{\pm V_s R_a}{R_b}$

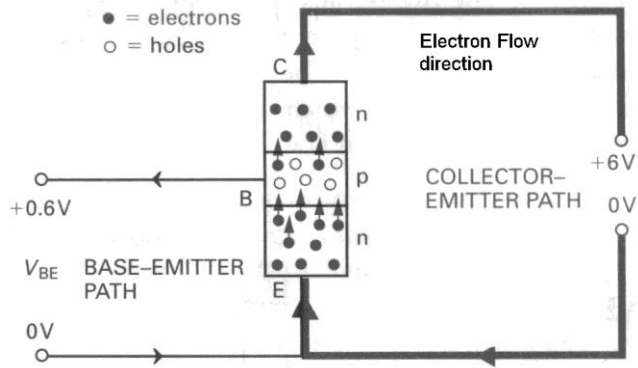
donor impurity atom (phosphorus)



(a) Crystal lattice of n-type silicon

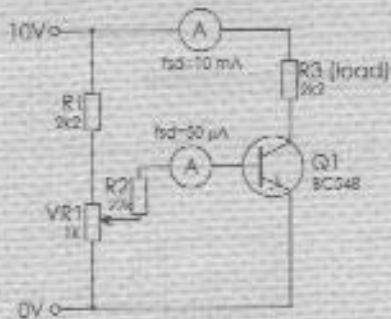


(b)



Things to do

This circuit has two meters, a microammeter to measure the base current and a milliammeter to measure the collector current. You will also need a digital voltmeter (5d=10 V), but this is not to be connected into the circuit.



The diagram specifies a BC548 BJT, but you can try it with other types, such as BC337, 2N2222A, or 2N3904.

Transistor action

The results you obtain from the investigation may vary slightly depending on the type of transistor tested. With a typical transistor, the graph of collector current against base current looks like this.

